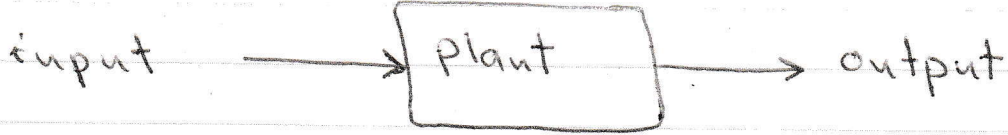


# Chapter 1: Basic definitions

**Systems:** A system is a combination of components that act together and perform a certain objective. A system is not limited to physical ones. The word system should be interpreted to imply physical, biological, economic, and the like, systems.

A control system is an interconnection of components forming a system configuration that will provide a desired system response. The basis for analysis of a system is the foundation provided by linear system theory, which assumes a cause-effect relationship for the components of a system.

**Plants:** A plant may be a piece of equipment, perhaps just a set of machine parts functioning together the purpose of which is to perform a particular operation. Therefore, any physical object to be controlled (such as a mechanical device, a heating furnace, a chemical reactor) a plant. A plant to be controlled can be represented by a block as below:

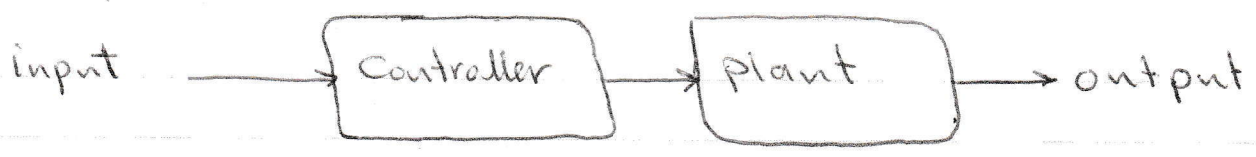


**Linear Systems:** A system is defined as linear in terms of the system excitation and response. A necessary condition for a linear system can be determined in terms of an excitation  $x(t)$  and a response  $y(t)$ . When the system is subjected to an excitation  $x_1(t)$ , it provides a response  $y_1(t)$ . Furthermore, when the system is subjected to an excitation  $x_2(t)$ , it provides a corresponding response  $y_2(t)$ . For a linear system it is necessary that the excitation  $x_1(t) + x_2(t)$  result in a response  $y_1(t) + y_2(t)$ . This is usually called the principle of superposition.

**Example:** A system characterized by the relation  $y = x^2$  is not linear, why?

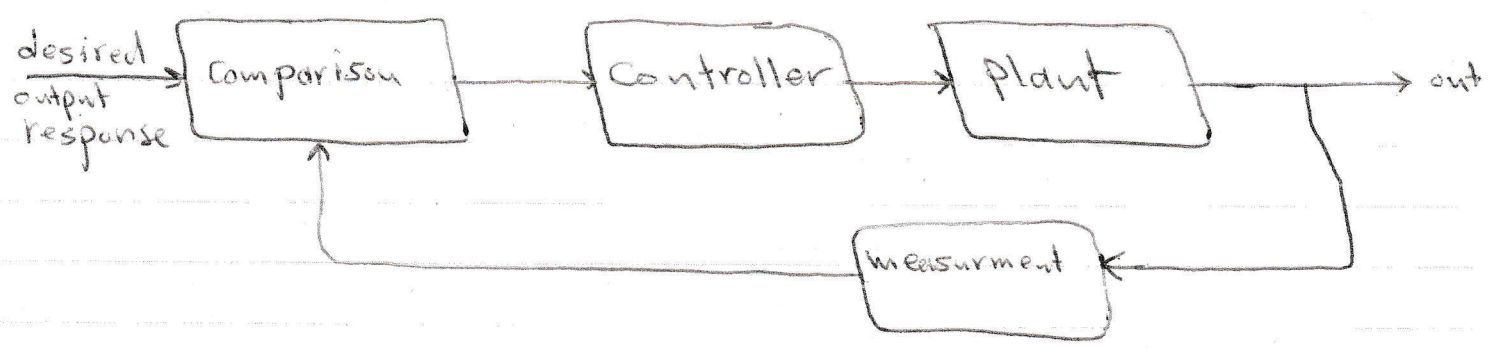
**Linear Time-Invariant Systems and Linear Time-Varying Systems:** A differential equation is linear if the coefficients are constants or functions only of the independent variable. Dynamic systems that are composed of linear time-invariant lumped-parameter components may be described by linear time-invariant (constant coefficient) differential equations. Such systems are called time-invariant systems. Systems that are described by differential equations whose coefficients are functions of time are called time-varying systems. An example of a time-varying control system is a spacecraft control system.

Open loop control system: A system that utilizes a device to control the plant without using feedback. Thus the output has no effect upon the signal entering the plant, as shown in Figure below:



In any open loop control system the output is not compared with reference input. Thus, to each reference input there corresponds a fixed operating condition, as a result the accuracy of the system depends on variation. Note that any control system that operates on a time basis is open loop. For instance, traffic control by means of signals operated on a time basis is an example of open loop control.

Closed loop control system: Feedback control systems are often referred to as closed loop control systems. In contrast to an open loop control, a closed loop control system utilizes an additional measure of the actual output to compare the actual output with desired output response. A measure of the output is called the feedback signal. A simple closed loop feedback control system is shown in Figure below:



(4)

An advantage of the closed loop control system is the fact that the use of feedbacks makes the system response relatively insensitive to external disturbances and internal variations in system parameters.

From the point of view of stability, the open loop system is easier to build because system stability is not a major problem. On the other hand, stability is a major problem in the closed loop control system which may tend to overcorrect errors and thereby cause oscillations of constant or changing amplitude.