

# Planning

**Planning** finds sequence of actions that achieves a given goal when performed starting in a given state.

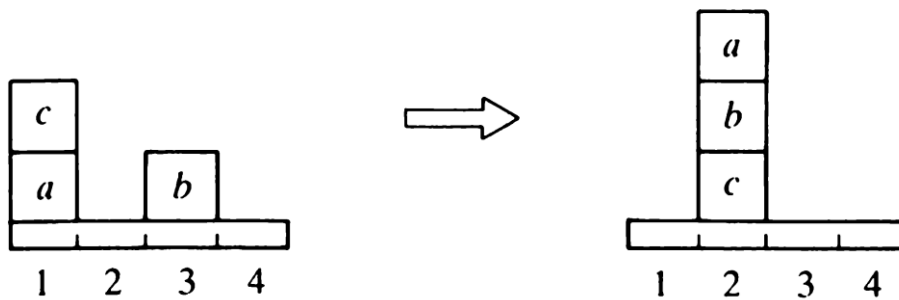
- We studied how to take actions in the world (search)
- We studied how to represent objects, relations, etc. (logic)
- Planning combine the two!

## Planning vs. Problem solving

- 1- In planning, states and goals are represented by sentences: Have(milk). Actions are represented by rules: preconditions and effects. Buy(x) → Have(x).
- 2- In planning, goals are independent, thus can be solved by “divide-and-conquer” strategy. Have(milk) ^ Have(banana).
- 3- Planner is free to add action whenever they are needed, rather than in an incremental sequence of search.

## Blocks World Problem

In the blocks world, the planner finds a sequence of actions that achieve the goal: a on b, and b on c.



For the above example, we have two relationships:

- On(Block, Object).
- sClear(Object).

## STRIPS Language

- 1- States are list of conjunctive relationships that are currently true.
  - Initial state: [clear (2) ^ clear(4) ^ clear(b) ^ clear(c) ^ on(c,a) ^ on(a,1) ^ on(b,3)].
  - Goals are defined as: [on (a,b) ^ on (b,c)].
- 2- Any actions that are not mentioned in the states are assumed to be false. Ex: from the initial state, we get  $\neg$ clear(3) ^  $\neg$ clear(1) ^ ....
- 3- Each action is defined by two terms:
  - *Precondition*: the conditions that has to be satisfied for the action to be possible.
  - *Effect*: the effect of the action either adds relationships or deletes some of them.

For example, the action **move(b,3,c)** (move block b from location 3 to block c).

- Precondition: [clear(b) ^ clear(c) ^ on(b,3)].
- Effect: add the relationships on(b,c) and clear(3), and delete on(b,3) and clear(c).

Thus the new state is:

$$[\text{on}(\text{b}, \text{c}), \text{clear}(\text{3}), \text{clear}(\text{2}), \text{clear}(\text{4}), \text{clear}(\text{b}), \text{on}(\text{a}, \text{1}), \text{on}(\text{c}, \text{a})]$$

The effects of an action can be:

- 1- Positive: add some relationships.
- 2- Negative: delete some relationships

Preconditions of action **Action** when condition **Cond** is true will be defined by the predicate: **Can(Action, Cond)**.

The effects of action will be defined by two predicates:  
**adds(Actions, Addrels)**, where Addrels is a list of added relationships.  
**delete(Action, Delrels)**, Delrels is a list of removed relationships.

The goal of a plane can be a list of relationships: **[on(a,b), on(b,c)]**.

For the blocks world actions will be of the form:

**Move(Block, From, To)**, where **Block** is the block to be moved, **From** is position, and **To** is the new position.

```

% Definition of action move( Block, From, To) in blocks world
% can( Action, Condition): Action possible if Condition true
can( move( Block, From, To), [ clear( Block), clear( To), on( Block, From) ] ) :-
    block( Block),                % Block to be moved
    object( To),                  % 'To' is a block or a place
    To \== Block,                 % Block cannot be moved to itself
    object( From),                % 'From' is a block or a place
    From \== To,                  % Move to new position
    Block \== From.               % Block not moved from itself

% adds( Action, Relationships): Action establishes Relationships
adds( move(X,From,To), [ on(X,To), clear(From)]).

% deletes( Action, Relationships): Action destroys Relationships
deletes( move(X,From,To), [ on(X,From), clear(To)]).

object( X) :-                      % X is an object if
    place( X)                       % X is a place
;                                     % or
    block( X).                       % X is a block

% A blocks world
block( a).
block( b).
block( c).
place( 1).
place( 2).
place( 3).
place( 4).

% A state in the blocks world
%
%      c
%      a  b
%      =  =  =
% place 1 2 3 4

state1( [ clear(2), clear(4), clear(b), clear(c), on(a,1), on(b,3), on(c,a) ] ).

```

### The Planner work

Suppose the goal **on(a,b)**.

The planner would reason as follows:

- 1- find the action **move(a, From, b)**.
- 2- look at the predicate **can** to find the action's preconditions: [clear(a), clear(b), on(a, From)], **clear(a)** is not true, so the planner consider **clear(a)** as new goal to be achieved.
- 3- Look at the adds relation again to find action that achieves clear(a). This can any action of the form: **move(Block, a, To)**.
- 4- The precondition for this action is [clear(Block), clear(To), on(Block,a)]  
This is satisfied in our initial situation if: Block=c and To=2.
- 5- the action move(c,a,2) will generate the state  
[clear(a), clear(b), clear(c), clear(4), on(a,1), on(b,3), on(c,2)]
- 6- now the action move(a,1,b) can be executed to find the final goal on(a, b).
- 7- the plan is [move(c,a,2), move(a,1,b)].

To solve a list of goals **Goals** in the state **State**, leading to the state **Finalstate**, do:

If all Goals are true in the state **State** then **Finalstate =State**. Otherwise do:

- 1- select unsolved goal in **Goals**.
- 2- Find an action **Action** that adds **Goal** to the current state.
- 3- Enable **Action** by solving the precondition **Condition** of **Action**, giving **Midstate1**.
- 4- Apply **Action** to **Midstate1**, giving **Midstate2**.
- 5- Solve **Goals** in **Midstate2**, leading to **Finalstate**.

This programmed in prolog as the procedure:

#### **Plan(State, Goals, Plan, Finalstate)**

Where state: the initial state, Finalstate: the final state, Goals: the list of goals, Plan: list of actions that achieves the goals.

If we asked the above program the query:

?- state1(Start), plan(Start, [on(a,b), on(b,c)], Plan,\_).

The program may answer:

Plan= [move(c,a,2), move(b,3,a), move(b, a, c), move(a,1,b)] !!!! (use four moves and the second one does not make sense).

The reason for this bad planning is that goals are achieved one by one in a linear order (*linear planning*). So, key to ensure optimal plans is to enable interaction between different goals. This is done through the mechanism of *goal regression*.

```

% plan( State, Goals, Plan, FinalState)

plan( State, Goals, [ ], State) :-
    satisfied( State, Goals).
% Plan empty
% Goals true in State

plan( State, Goals, Plan, FinalState) :-
    conc( Plan, _, _),
% Try plans of increasing length
    conc( PrePlan, [Action | PostPlan], Plan),
% Divide Plan to PrePlan, Action and PostPlan
    select( State, Goals, Goal),
% Select a goal
    achieves( Action, Goal),
% Relevant action
    can( Action, Condition),
% Enable Action
    plan( State, Condition, PrePlan, MidState1),
% Apply Action
    apply( MidState1, Action, MidState2),
% Achieve remaining goals
    plan( MidState2, Goals, PostPlan, FinalState).

% satisfied( State, Goals): Goals are true in State

satisfied( State, [ ]).

satisfied( State, [Goal | Goals]) :-
    member( Goal, State),
    satisfied( State, Goals).

select( State, Goals, Goal) :-
    member( Goal, Goals),
    \+ member( Goal, State).
% Goal not satisfied already

% achieves( Action, Goal): Goal is in add-list of Action

achieves( Action, Goal) :-
    adds( Action, Goals),
    member( Goal, Goals).

% apply( State, Action, NewState): Action executed in State produces NewState

apply( State, Action, NewState) :-
    deletes( Action, DelList),
    delete_all( State, DelList, State1), !,
    adds( Action, AddList),
    conc( AddList, State1, NewState).

% delete_all( L1, L2, Diff) if Diff is set-difference of L1 and L2

delete_all( [ ], _, [ ]).

delete_all( [X | L1], L2, Diff) :-
    member( X, L2), !,
    delete_all( L1, L2, Diff).

delete_all( [X | L1], L2, [X | Diff]) :-
    delete_all( L1, L2, Diff).

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